

# Math 123: Syllabus and Review of Integration

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# Outline

- 1 Syllabus Highlights
- 2 Review of Integration
- 3 Integration By Parts

# Syllabus Highlights

Course Webpage:

<http://www.csulb.edu/~rblair/Math123S16/index.html>

Here you will find

- 1 Lecture slides
- 2 Course Calendar
- 3 A link to WebAssign
- 4 Instructions for accessing WebAssign
- 5 A copy of the syllabus
- 6 A link to Beachboard (where your quiz, homework and test scores are posted)
- 7 Other useful links

# Text

**Required Text:** Stewart, Essential Calculus: Early Transcendentals, Second Edition + **Supplemental Materials** (These are available in a bundle from the book store or for free online).

**Required Homework Platform:** A subscription to WebAssign.  
**Homework for today:** Log in to WebAssign!!!!

# Redesigned Calc. Sequence

## Big Changes

- 1 Coordinated homeworks, exams and content.
- 2 More emphasis on test preparation.
- 3 Mandatory supplemental instruction for students that are not exempt (However, all students are welcome).
- 4 Collaborative work in Activity Sections.

**Goal:** Get more students to pass Math 123!!!

# Grading

- ① 20% Homework, Benchmarks and Quizzes
- ② 10% Maintenance and Improvement
- ③ 15% Midterm 1
- ④ 15% Midterm 2
- ⑤ 15% Midterm 3
- ⑥ 25% Final

# Homework

- 1 Online on WebAssign (<http://www.webassign.net/>)
- 2 Class key is csulb 3921 6411.
- 3 Access Code is sold with the text book package from the library.

# Quiz

- 1 There will be both announced and unannounced quizzes in lecture and in activity section.



# Exams

## Mark your calendars

- 1 Midterm 1: February 18
- 2 Midterm 2: March 17
- 3 Midterm 3: April 21
- 4 Final: May 12

# Classroom Decorum:

- 1 No Talking
- 2 No Texting
- 3 Cellphone Ringers Off
- 4 Laptops and cell phones only used for class activities.

# Adding the Course

Speak to me about adding the class after class.

Space is limited.

# Grading

Grades will be computed by the following absolute scale:

- 1 A 85 – 100%
- 2 B 75 – 85%
- 3 C 65 – 75%
- 4 D 55 – 65%
- 5 F 0 – 55%

# Be Aware

- 1 Accommodations because of a disability
- 2 Withdraw
- 3 Academic Integrity

# Fundamental Theorem of Integration

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*(Fundamental Theorem of Calculus, Part 2) If  $f$  is continuous on  $[a, b]$ , then*

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**Examples:** Evaluate  $\int_0^1 xe^{x^2} dx$ .

**Examples:** Evaluate  $\int \tan(x) dx$ .

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