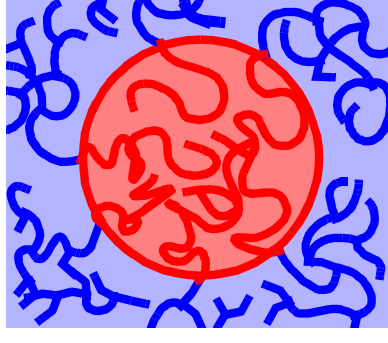
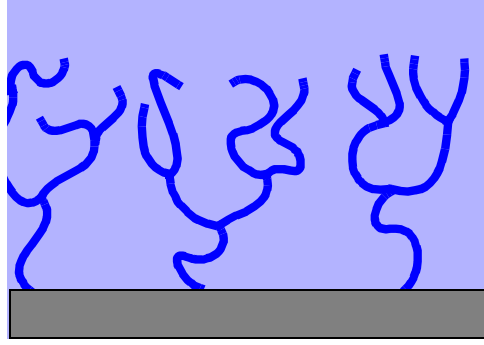


Hyperbranched Molecules: Surfaces and Self-assembly



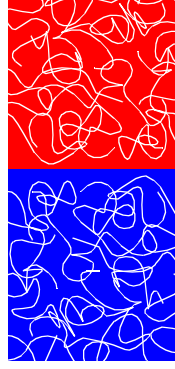
Galen T. Pickett

Department of Physics and Astronomy,

California State University Long Beach

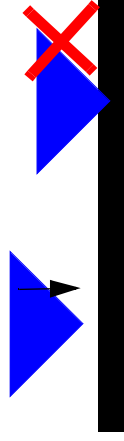
- **Stuff we want to do:**

- **Strengthen mixtures of plastics**



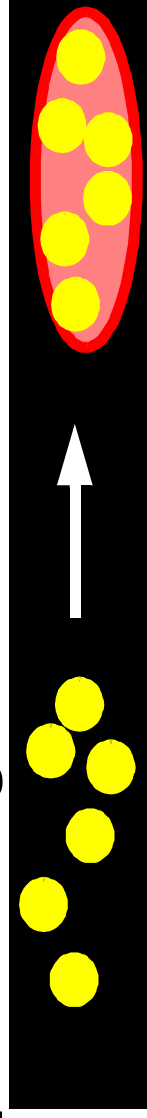
- Incompatible plastics
- Combine properties
(strength, flexibility)

- **Lubricate/protect surfaces**

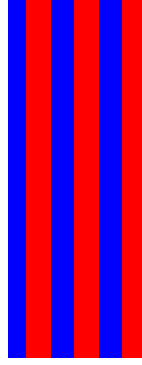
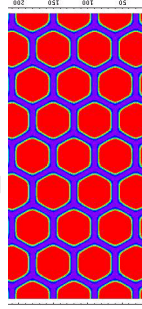


- Prevent contact
- Avoid damage

- **Encapsulate drugs**



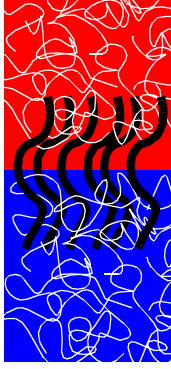
- **Create patterns**



- Symmetry, scale

- **Stuff that can do it.**

- **Stitching polymers: reinforce mixtures**



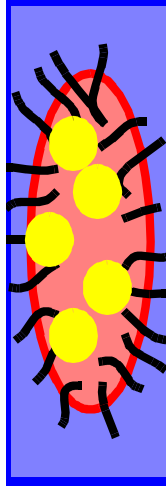
- Half blue / half red reinforces interface.

- **End-grafted polymers: lubrication**



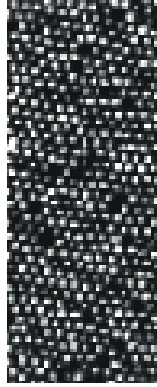
- Trapped coating
 - “Osmotic” barrier

- **Amphiphilic polymers: housing for droplets**



- Polymer forms vesicles
 - Release contents, pH *e.g.*

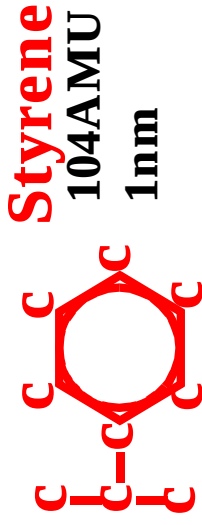
- **Block copolymers: templates for ordering**



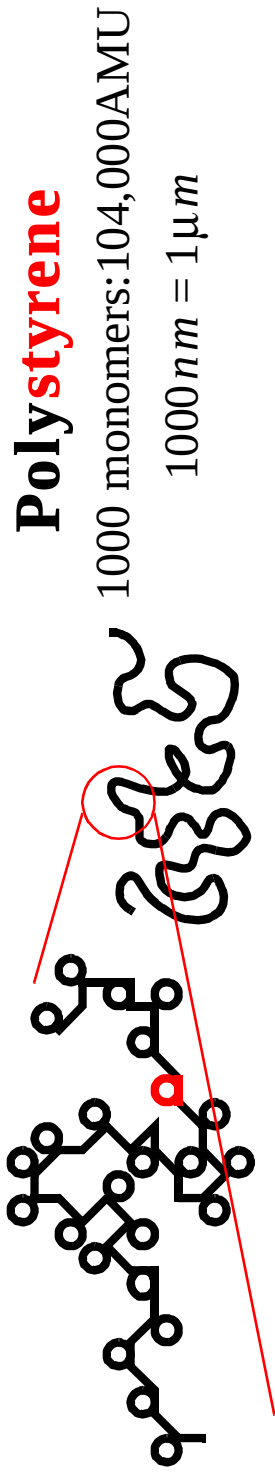
<http://www.princeton.edu/~polymer/>

● Polymers

- Are made of monomers...



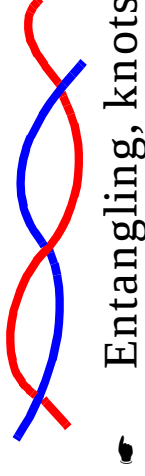
- ... strung together into huge chains...



- ... which mostly ignore $\hbar$...

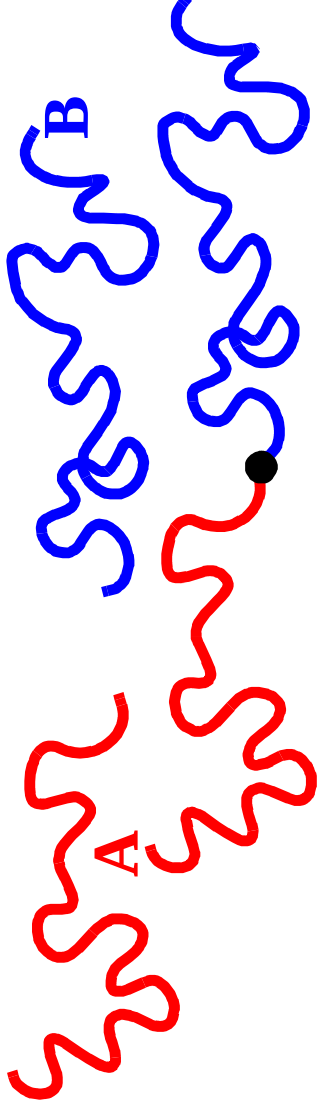
$$\Delta x \Delta p \approx (1nm)(10^5 \text{ AMU} v) \approx 10^8 \frac{v}{m/s} \hbar$$

- ... and are all tangled up.



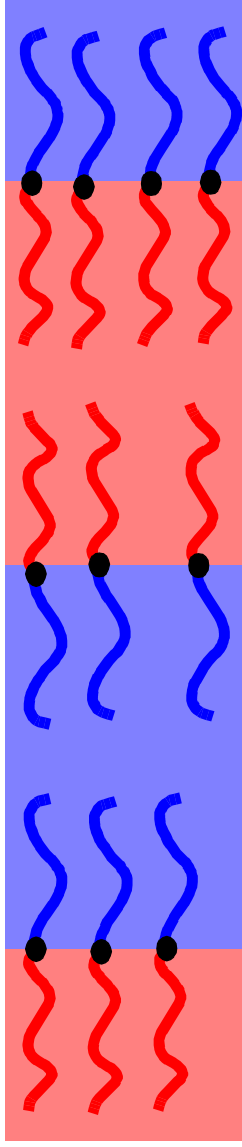
- **Block copolymers**

- Two kinds of monomers strung together.



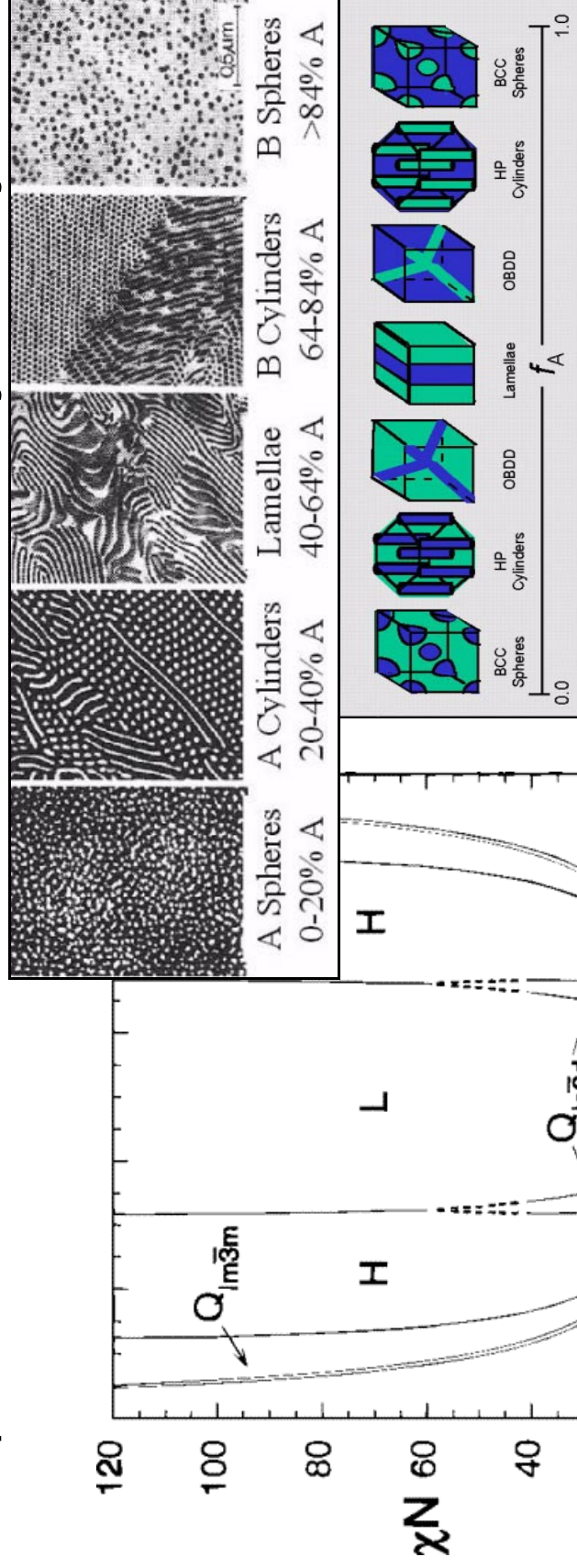
- A-block and B-block: “diblock”

- Unless you break bonds, micro-scale texture happens.

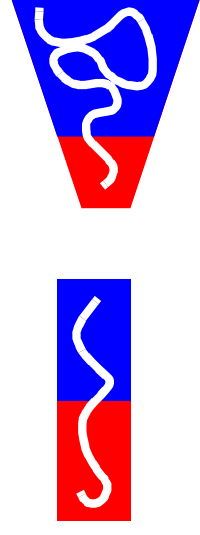


- Asymmetric diblocks

- f = fraction of A on molecule, controls symmetry:



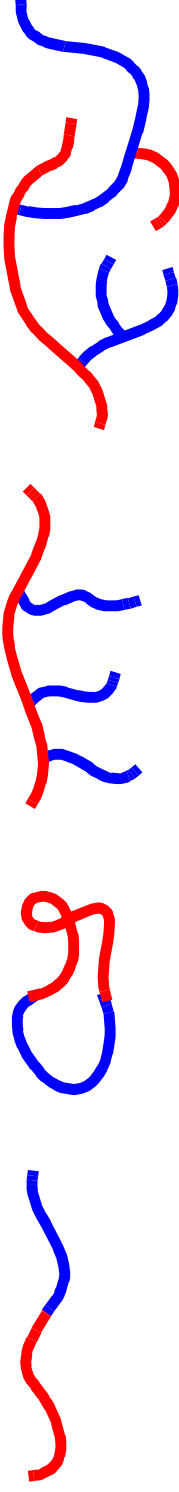
<http://www.psrc.usm.edu/mauritz/block.html>



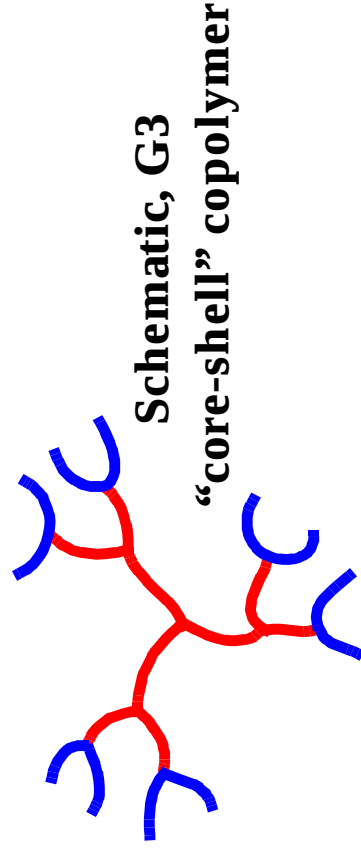
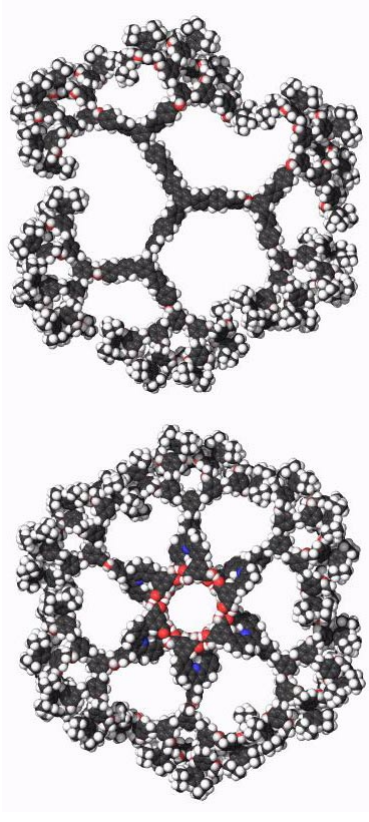
M. W. Matsen and F. S. Bates, Macromolecules; 1996; 29(4); 1091-1098.

- **Architecture controls properties**

- Diblocks, composition fraction is only control
- Chain topology is also something to consider:



- “Starburst” dendrimers



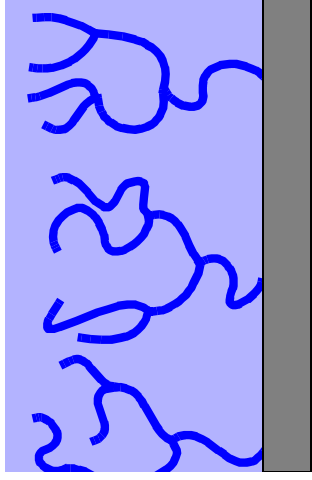
Zimmer, <http://ludwig.scs.uiuc.edu/>

● **Outline**

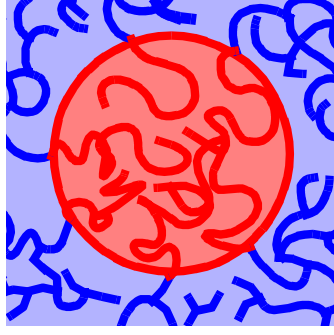
- **Introduction**

- Polymers, block copolymers, architectures

- **Dendrimer brush**

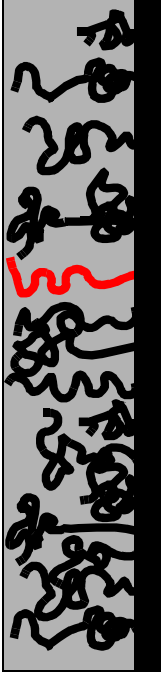


- **Dendrimer copolymers**



- **Conclusions**

- Lots of polymers jammed together



$$F = \text{conformation} + \text{insertion}$$

- **Stretching** (conformation) energy depends on just the **red** chain
- **Insertion** energy depends on what the neighboring chains are doing
- **Insertion** energy must be found consistent with what all the other chains are doing

- **Self-consistent polymer brush**

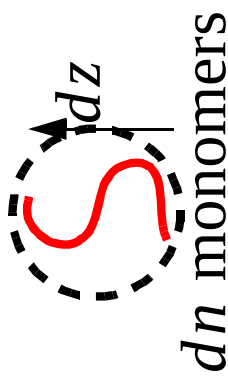
- Anchored polymers



- To insert **red** polymer:

$$F[z(n)] = \int_0^N \left[\frac{1}{2} \left| \frac{dz}{dn} \right|^2 + P(z(n)) \right] dn$$

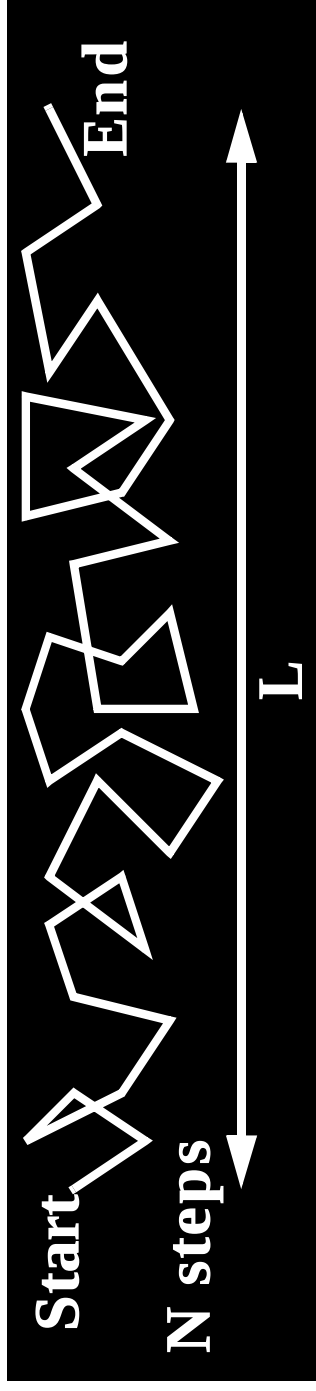
Stretching
Insertion



- **Insertion**, ok but **why** is **stretching** quadratic?

- Stretching energy is quadratic

- Random walk, N steps covering an end-end distance L . How much energy?



- Apply a force F to each link.

$$force \propto L$$

$$force \propto 1/N$$

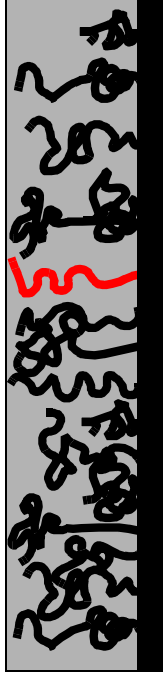
Double F , go twice as far More steps, less force

- Work = force * distance: $\left(\frac{L}{N}\right)L = \left(\frac{L}{N}\right)^2 N$

- Generalization for non-uniform stretching

- Single-chain self-consistent field

- Lots of polymers jammed together



$$F[z(n)] = \int_0^N \left[\frac{1}{2} \left| \frac{dz}{dn} \right|^2 + P(z(n)) \right] dn$$

- **Stretching** is exact for the **red** test chain.
 - **Insertion** energy averaged over conformations of all other chains
 - **Insertion** energy must be found consistent with what all the other chains are doing

● Classical mechanics

- **Single-chain free energy** $\Leftrightarrow$ **Lagrangian**

$$F[z(n)] = \int_0^N \left[\frac{1}{2} \left| \frac{dz}{dn} \right|^2 + P(z(n)) \right] dn$$

Time, t, is equivalent to “monomer number”, n

Minimize F, extremize S

Ground state

approx for F

$$S[z(t)] = \int_0^T \left[\frac{m}{2} \left| \frac{dz}{dt} \right|^2 - V(z(t)) \right] dt$$

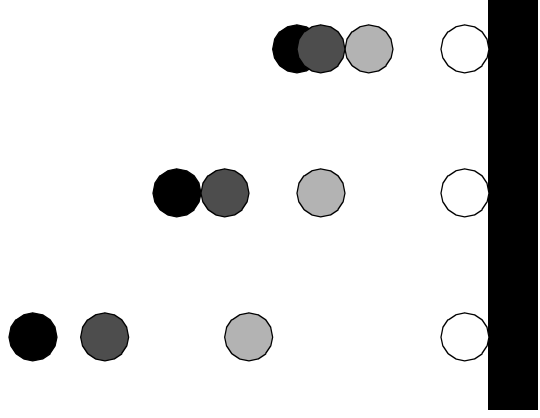
- **Potential $V(z)$ must have an “equal-time” property.**

- If particle is released from rest, at a time T it will arrive at $z=0$, regardless of where it started.

● Only one “equal-time” potential will do

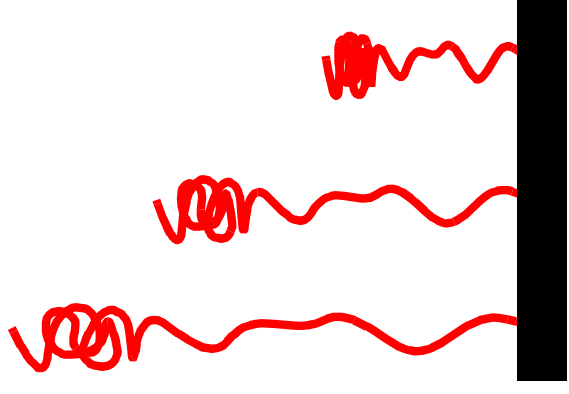
□ Harmonic Oscillator

$$z(t) = z_0 \cos \omega t$$



$$V(z) = \frac{1}{2} \omega^2 z^2$$

$$z(n) = z_0 \cos \omega n$$



$$P(z) = \text{const.} - \frac{1}{2} \omega^2 z^2$$

□ Strong constraint from self-consistency

● What has to change for branched grafts?

□ deGennes, single dendrimers

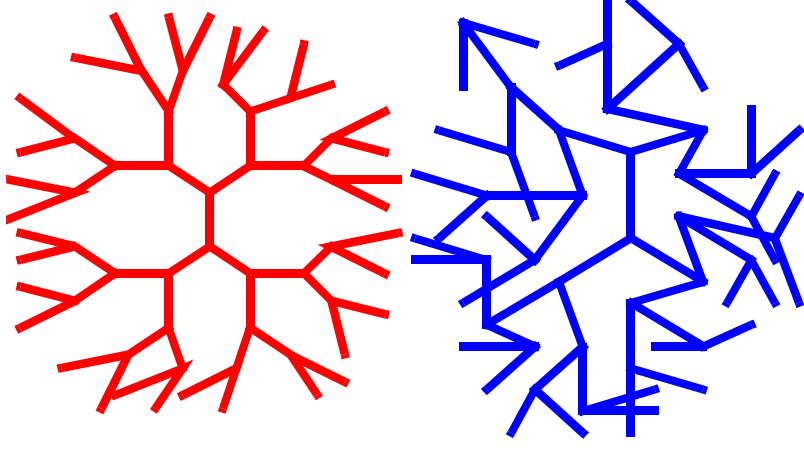
- Hollow core
- Tips all exposed

□ Lescanec, single dendrimers

- Core filled, backfolded
- Ends distributed

□ Where are the ends?

□ Where are ends for a brush of dendrimer?



● Classical analog for dendrimer brush

- Single-chain free energy:

$$F[z(n)] = \int_0^{G^N} f(n) \left[\frac{1}{2} \left| \frac{dz}{dn} \right|^2 + P(z(n)) \right] dn$$

Generations ↗ G^N

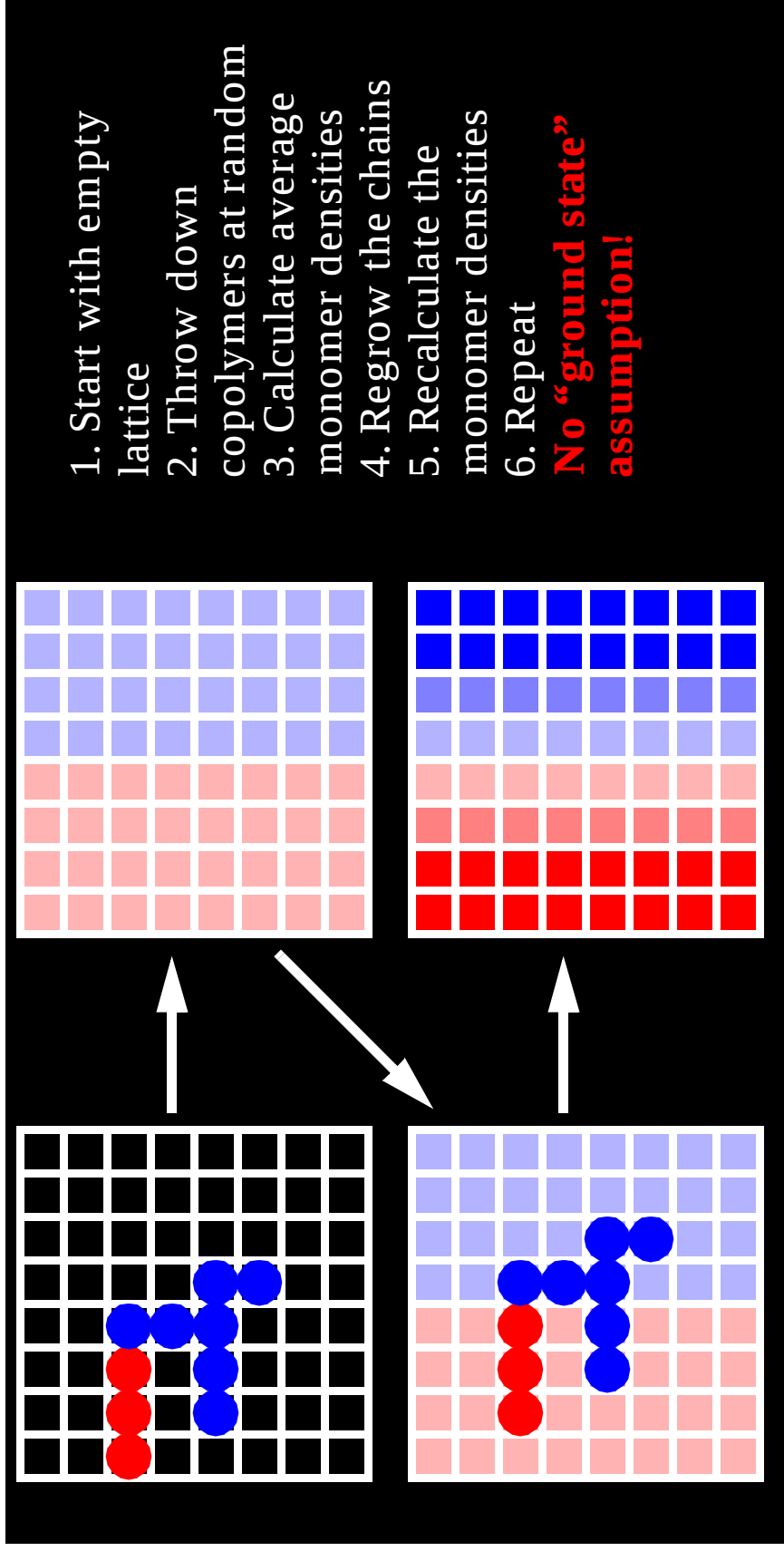
Number of equivalent branches ↑ 0

- Time-dependent “mass”, in a time-dependent potential.

● Clues from numerical work.

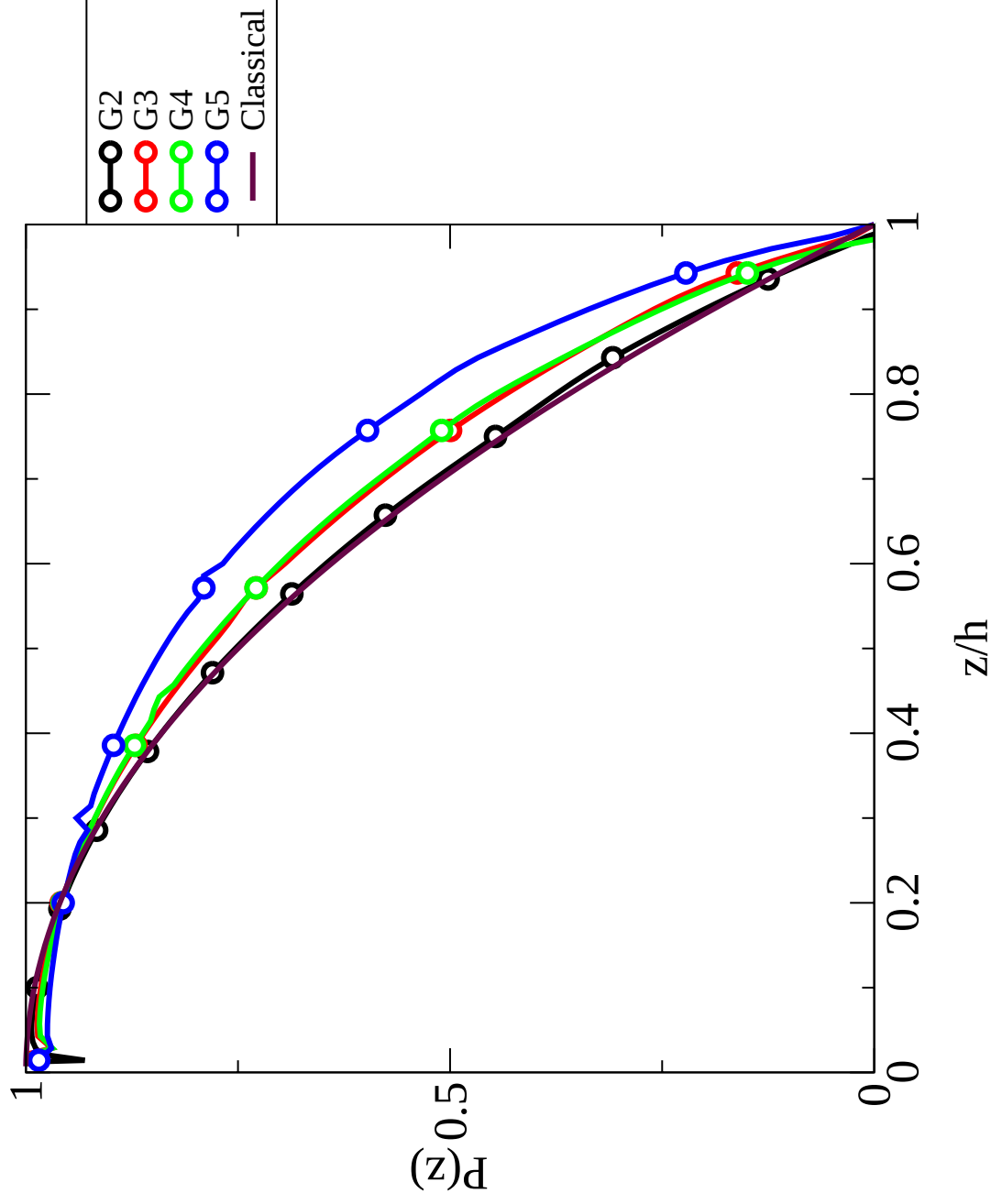
Fleer, Cohen, Scheutjens, Cosgrove, Vincent, *Polymers at Interfaces* Chapman and Hall, London 1993

□ Lattice model

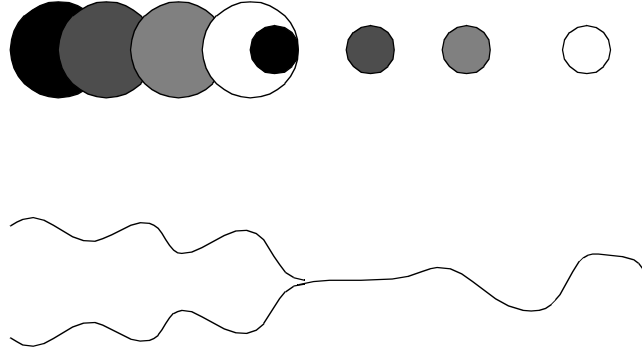
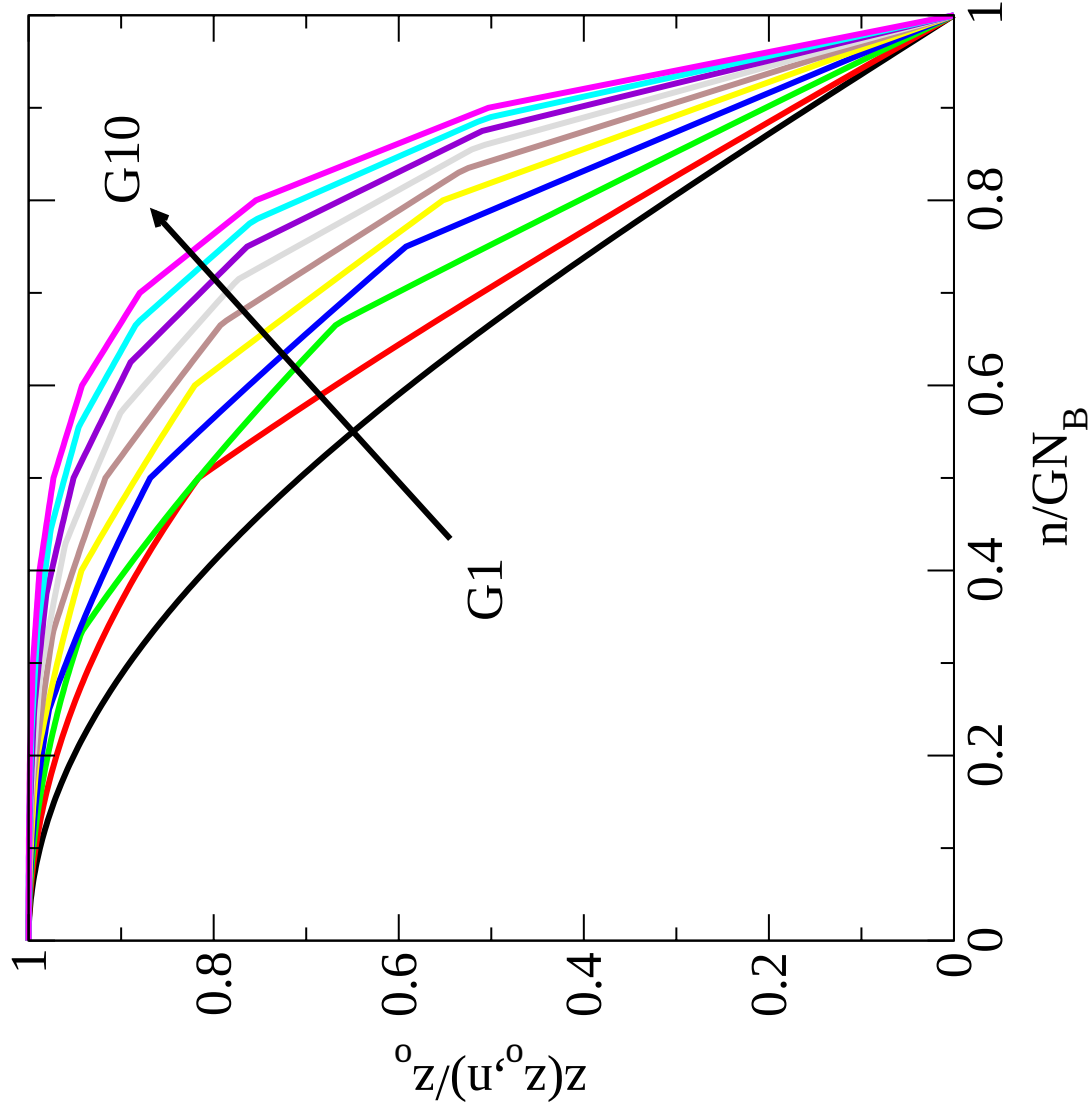


□ What are potentials for G1-5?

● **Equal time potential is still harmonic**

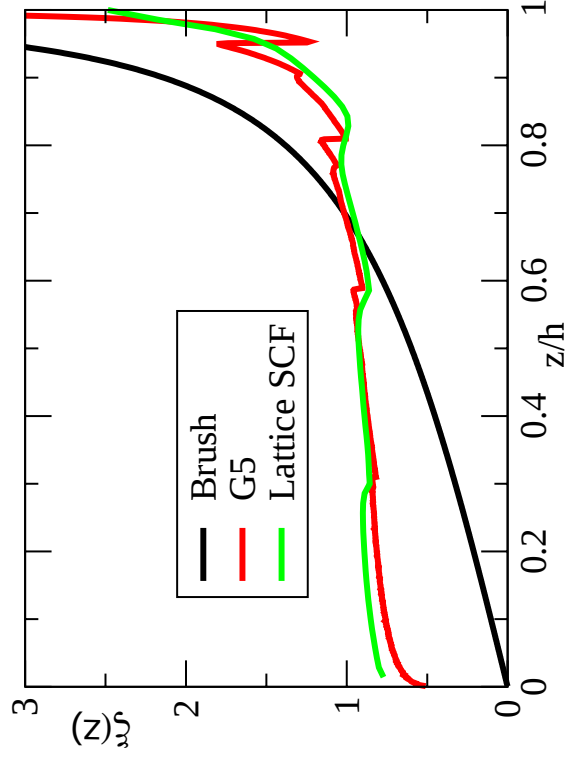
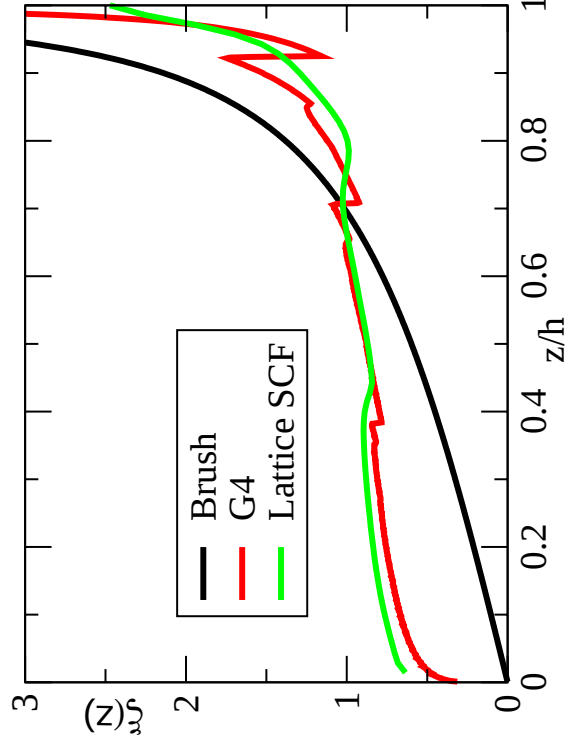
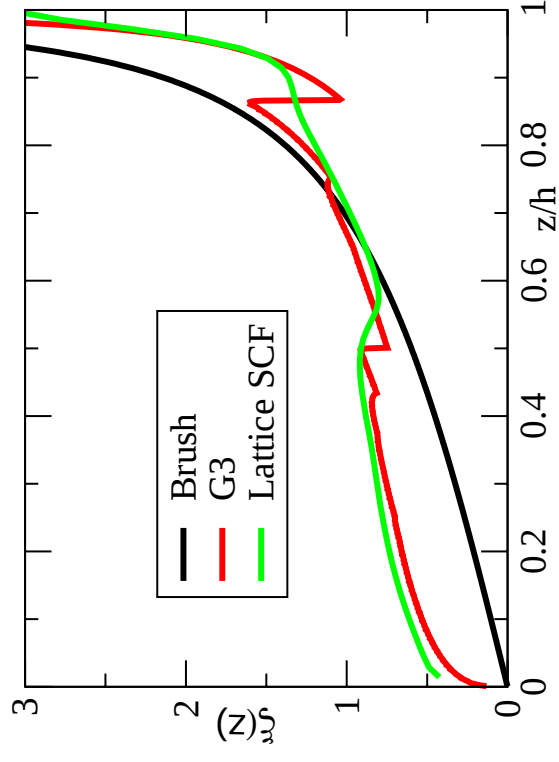
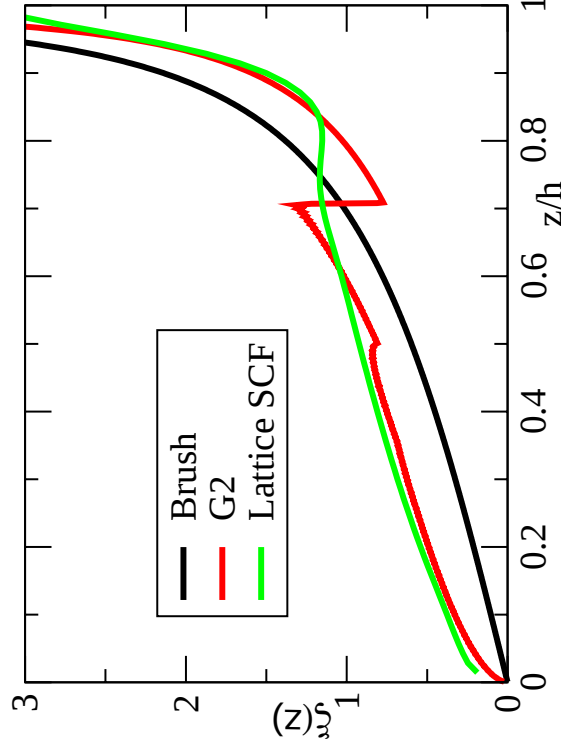


● Trajectory depends on G



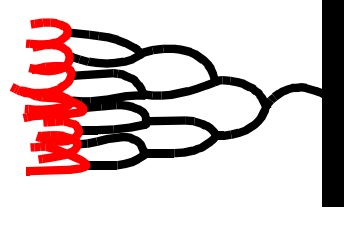
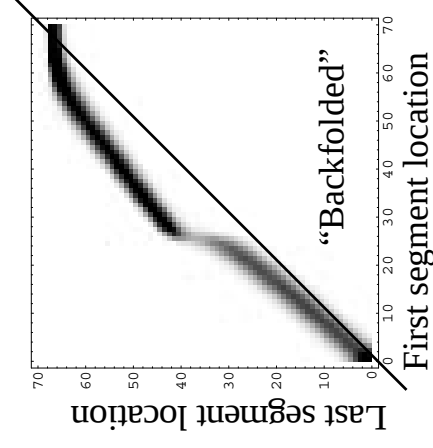
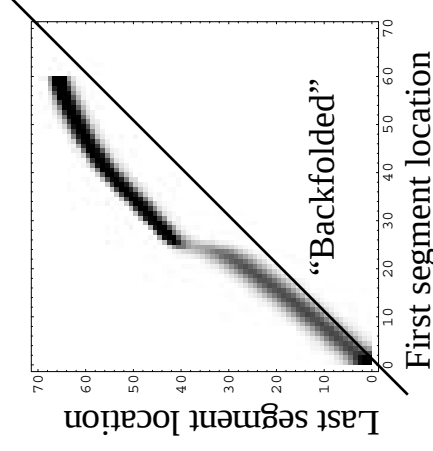
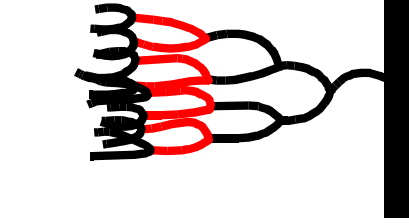
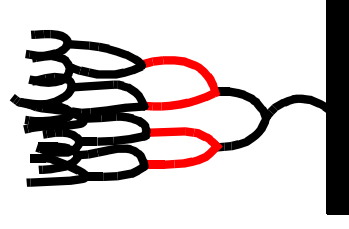
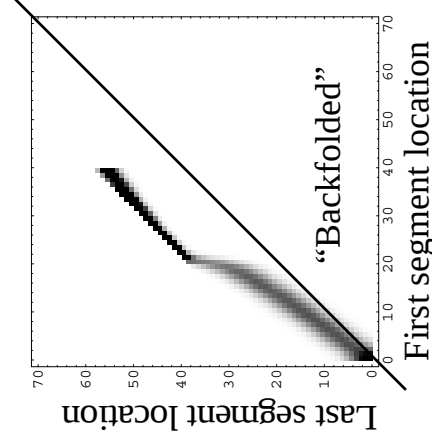
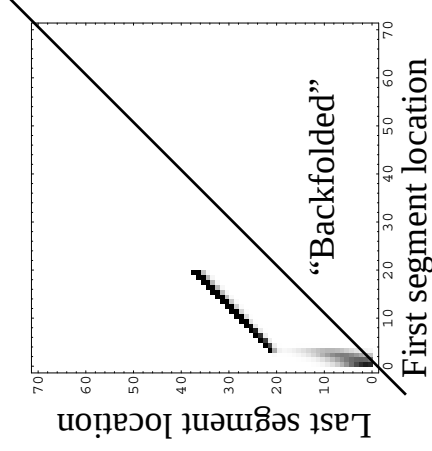
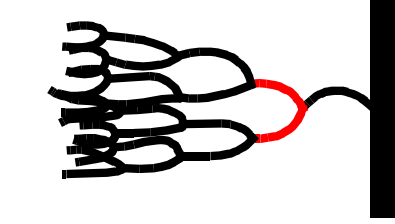
Mass gets cut in half
Momentum conserved
Velocity doubles!
Stretching doubles!

● Distribution of chain ends changes



● Do the ends fold back into the brush?

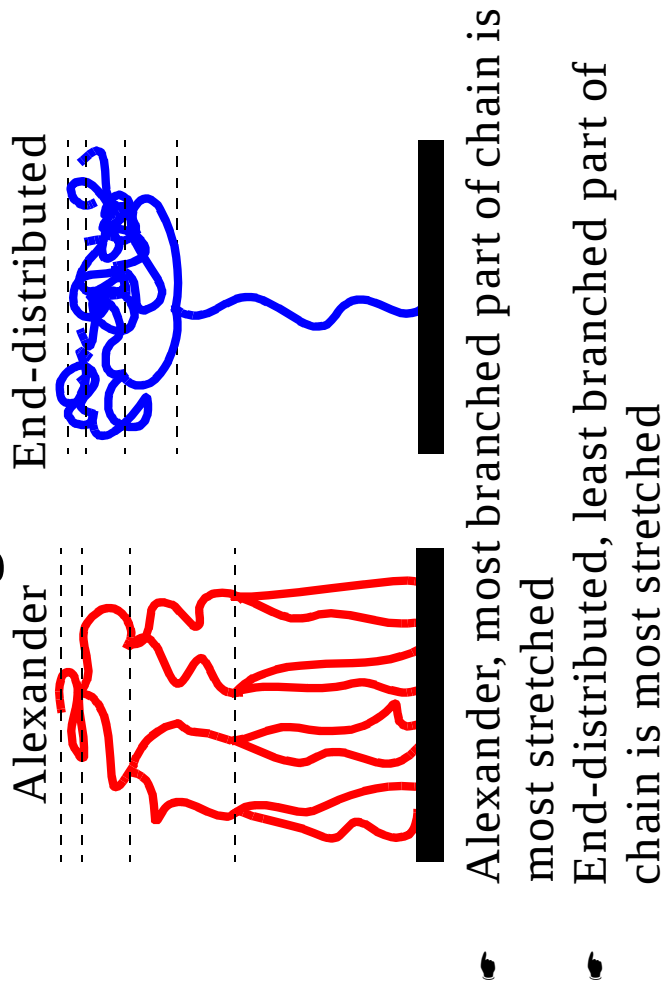
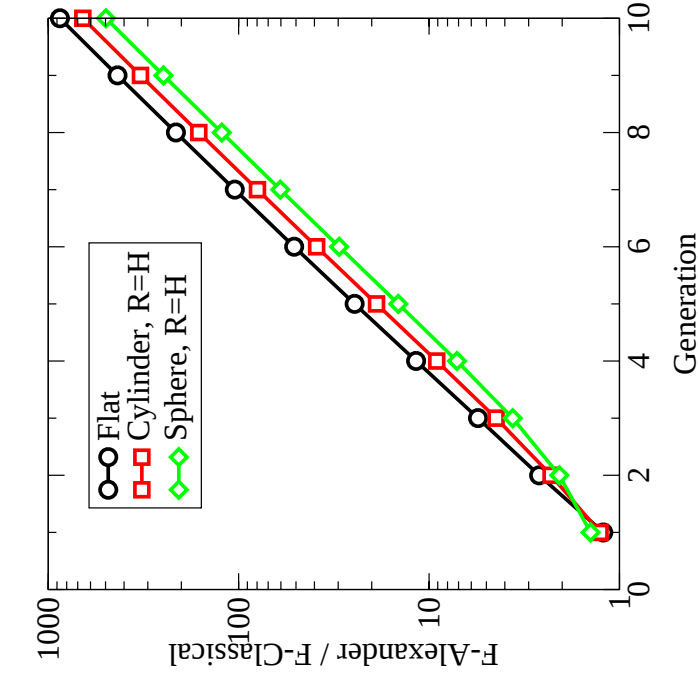
G5 dendrimer



□ Filled core yes, backfolding no

● Alexander deGennes Model

□ Gross overestimation of stretching:

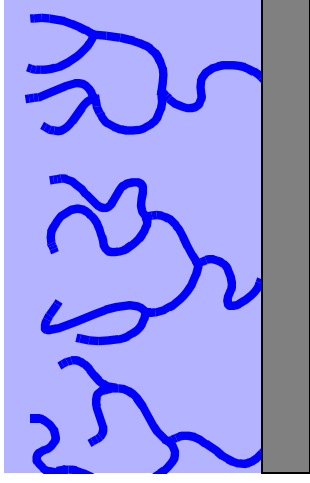


□ End-confining radically alters brush layer.

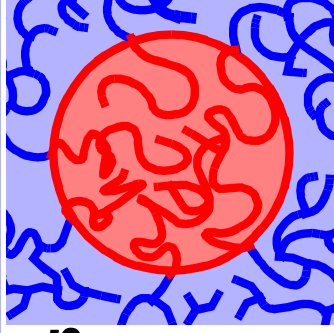
● **Outline**

- **Introduction**
 - Polymers, block copolymers, architectures

- **Dendrimer brush**



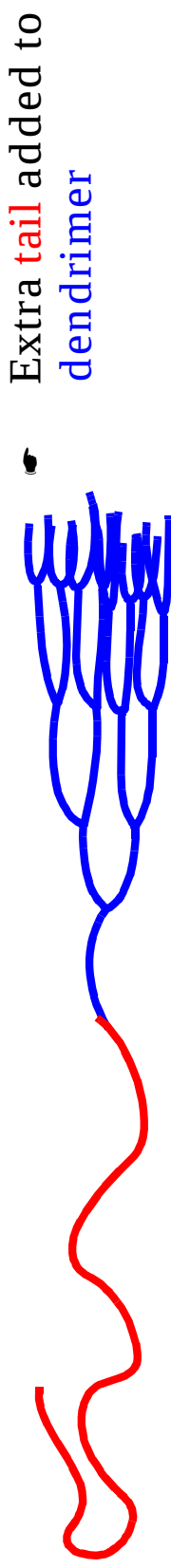
- **Dendrimer copolymers**



- **Conclusions**

● Flexible-dendrimer copolymers

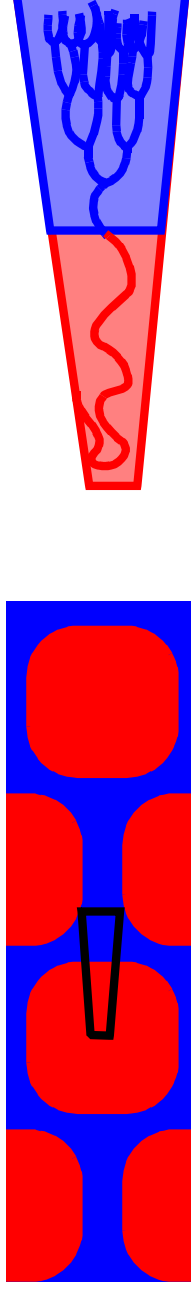
- Easy to synthesize



- Should bias phase diagrams

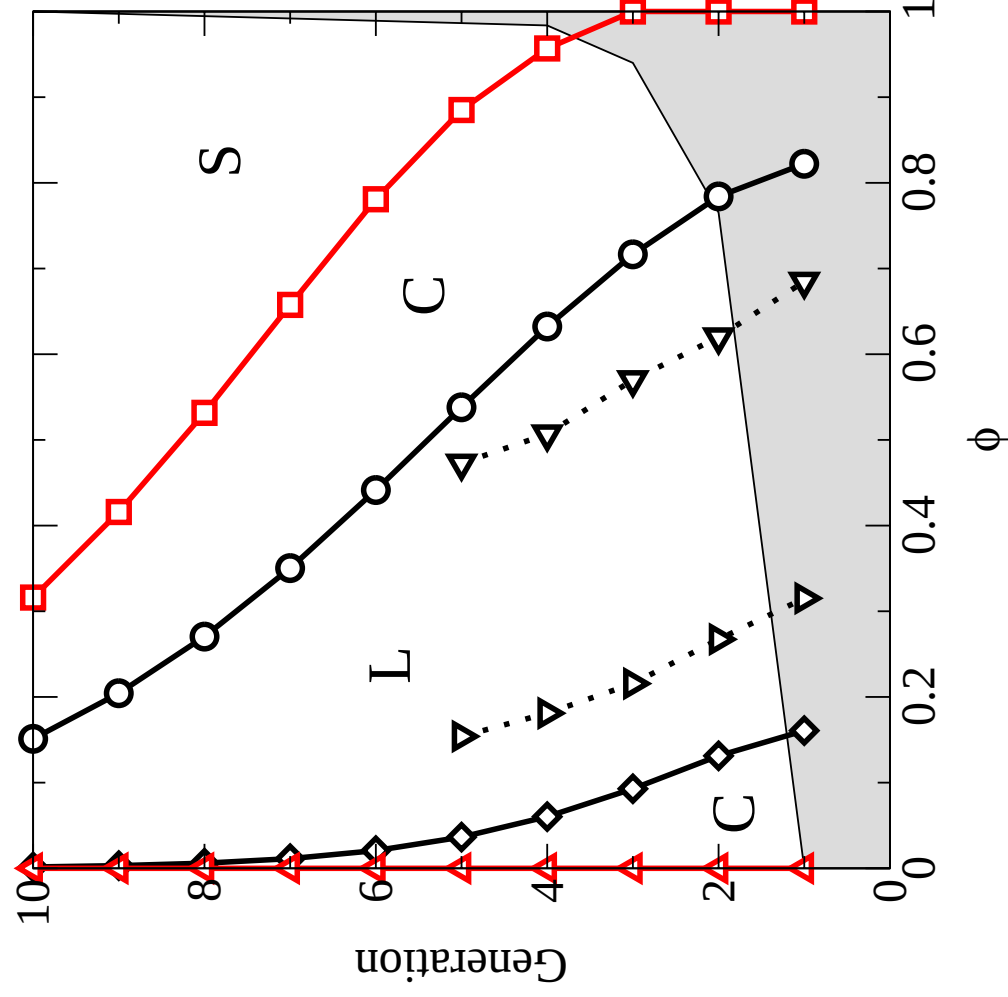
- Extra branchings splay outwards

- Micro segregated domains: 2 stacked brushes

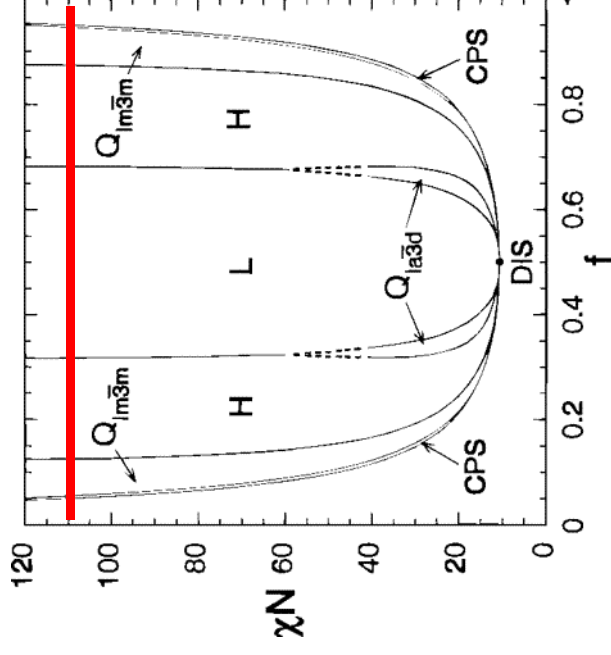


- Branched block resides on convex side of domains

● Phase diagram



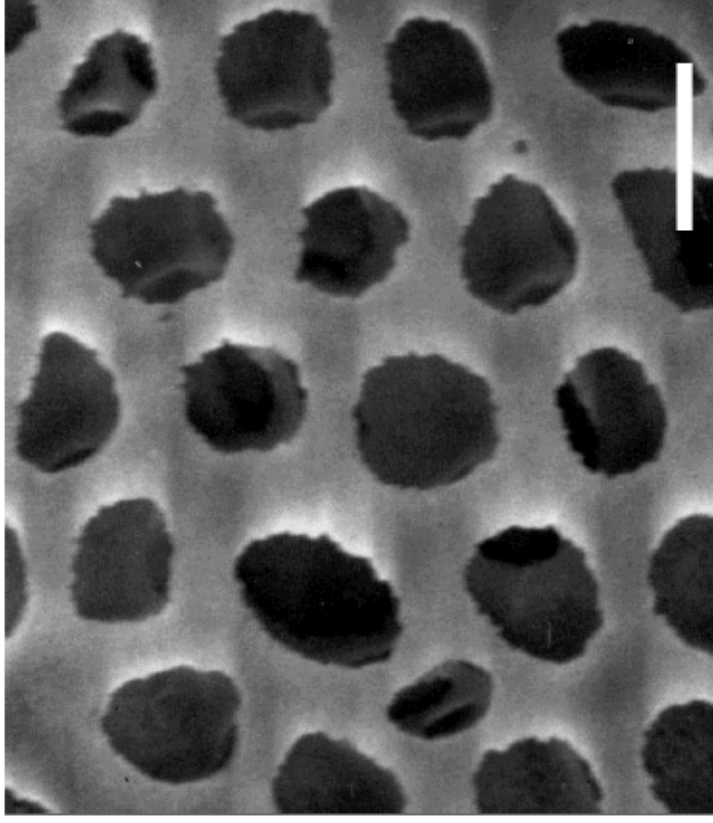
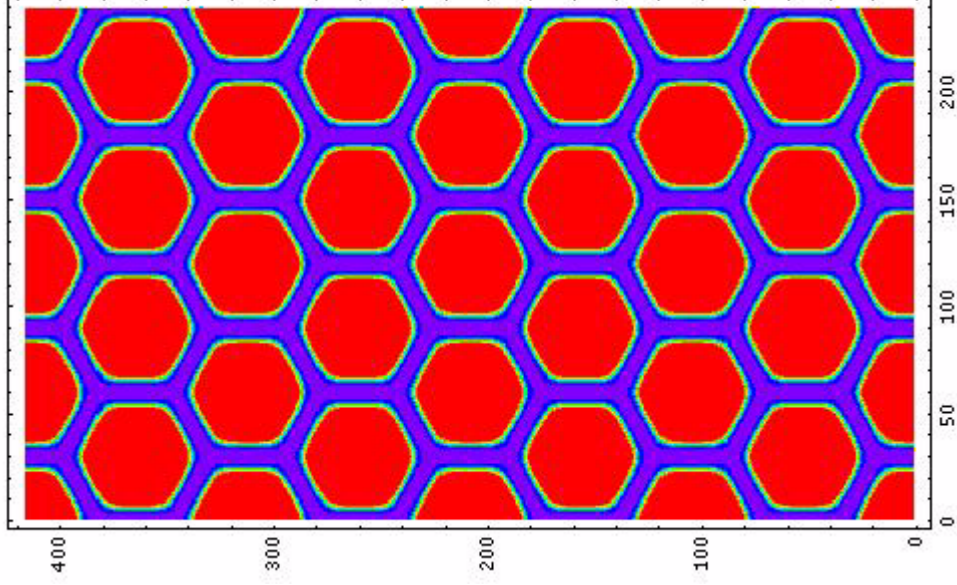
Dendrimer calculation



Asymmetric diagram
Agrees qualitatively
with an Alexander
model calculation:

Frischknecht and Fredrickson,
Macromolecules **1999** 32 6831

● Numerical lattice calculations



Ti foam photonic band gap forerunner

Imhof and D.J. Pine, *Advanced Materials* 10, 697-700 (1998).

● Conclusions

- **Surfaces coated with dendrimers**
 - Ends are buried, distributed
 - Don't fold back, (poplars, not willows)
- **Dendrimer copolymers**
 - Shift phase boundaries
 - Photonics?
- **Dendrimer-dendrimer block copolymers**

